

Identification and minimization of losses in microscale spin-wave transducers

Felix Kohl^{1,*}, Björn Heinz¹, Ádám Papp^{2,3}, Róbert Erdélyi^{2,3}, Gyorgy Csaba^{2,3} and Philipp Pirro¹

¹*Fachbereich Physik and Landesforschungszentrum OPTIMAS, Rheinland-Pfälzische Technische Universität Kaiserslautern-Landau, D-67663 Kaiserslautern, Germany*

²*Faculty of Information Technology and Bionics, Pazmany Peter Catholic University, Budapest, Hungary*

³*Jedlik Innovation Kft., Budapest, Hungary*



(Received 9 July 2025; revised 3 March 2026; accepted 24 April 2026; published 26 May 2026; corrected 24 August 2026)

Magnonics is a promising platform for integrated radio-frequency (rf) devices, leveraging its inherent nonreciprocity and reconfigurability. However, the efficiency of spin-wave transducers driven by rf currents remains a major challenge. In this study, we systematically investigate a spin-wave transducer composed of micrometer-sized rf antennas on yttrium iron garnet films of different thickness—an ideal testbed for integrated magnonic devices. Using propagating spin-wave spectroscopy, we analyze spin-wave transmission, identifying key loss mechanisms and improving device efficiency by reducing ohmic resistance. The resulting improvements enable the reduction of insertion loss to below 10 dB in microscaled spin-wave transducers. At the same time large nonreciprocity can be exploited to achieve significant isolation on the microscale.

DOI: [10.1103/j5s3-zvhr](https://doi.org/10.1103/j5s3-zvhr)

I. INTRODUCTION

Recent advances in information and communication technology continue to drive the demand for efficient, scalable, and versatile radio-frequency (rf) devices [1]. This trend is further accelerated by the emergence of Internet-of-Things (IoT) applications, which require improved data transmission rates and processing, to support the increasing number of interconnected devices [2]. Hence, there is a growing need for greater bandwidth in wireless communication systems [3]. At the same time, this demand is driven by the ongoing rollout of 5G standards and the development of 6G technologies, both of which promise higher bandwidths and operation at higher frequencies [3]. However, established technologies for integrated analog devices (e.g., based on surface acoustic waves and bulk acoustic waves) face significant challenges at high operation frequencies [4–7]. The scalability and efficiency of these devices are limited by increased losses and the increasing complexity of their manufacturing. These limitations are driving the search for alternative technological approaches.

With its focus on the generation, manipulation, and utilization of spin waves, magnonics is a promising approach to tackling these problems. Altogether, it offers several advantages over established alternatives. First and foremost, the operating frequency range of magnetic devices can be tuned via externally accessible parameters such as the applied magnetic field [8,9]. Second, spin waves provide a readily accessible signal nonreciprocity, which allows such transducers to be used as microwave filters and isolators at the same time. For example, in this work, the isolation could be shown to reach up to 30 dB across the 3 dB bandwidth of the devices under test. In addition, spin waves are inherently low-energy excitations [10], rendering them ideal for IoT applications. They also exhibit intrinsic nonlinearity [11] due to the structure of the underlying equations of motion, which can be exploited for various use cases, including neuromorphic computing [12,13]. Overall, magnonics offers a versatile and tunable technological option that can be integrated into existing manufacturing processes.

Over the past few years, numerous scientific demonstrations of prototype magnonic devices have been presented, proving their potential to achieve various functionalities [9,10,14,15]. Despite the potential demonstrated, many of these devices are still either energy efficient and bulky [16–18] or small but lossy, with losses exceeding 20 dB [19]. Most of them also rely on electromagnets to generate the external magnetic fields required for operation [4,20]. Thus, there is a particular need to identify the

*Contact author: fkohl@rptu.de

Published by the American Physical Society under the terms of the [Creative Commons Attribution 4.0 International](https://creativecommons.org/licenses/by/4.0/) license. Further distribution of this work must maintain attribution to the author(s) and the published article's title, journal citation, and DOI.

mechanisms limiting the energy efficiency, which is key to lifting integrated magnonic devices to a competitive level.

In this work, a fundamental building block of magnonic devices, the spin-wave transducer or spin-wave transmission line, is investigated using inductive spectroscopy of propagating spin waves [21–24]. Commonly, these structures consist of two symmetrical antennas patterned on a magnetic substrate. The objective of this study is to identify the main causes of inefficiency in such magnonic rf devices to enable the future design of efficient magnonic devices. An improved transducer structure is reported to show losses lower than 10 dB, representing a significant improvement in performance.

II. EXPERIMENTAL SETUP

A. Measurement method

For the investigation of different spin-wave transducers, the technique of propagating spin-wave spectroscopy is used [22,23]. In our experiment the device under investigation is connected to a vector network analyzer (VNA) via commercial microwave probes (Picoprobe, GGB Industries). A schematic representation of the setup with the device under test is shown in Fig. 1(a). To mitigate the influence of cables and probes, a short-open load-through calibration is performed on a commercial calibration substrate prior to the measurements. Signal transmission is characterized using the scattering parameter description of a two-port network [25] across frequency spectra containing the spin-wave resonances. The spectrum of transmitted spin waves can be assessed in both magnitude and phase. From this phase information, the spin-wave propagation can be characterized (e.g., the group velocity [26] and the dispersion relation [22,24]). The external field is aligned parallel to the antennas within the film plane, facilitating measurements in the so-called Damon-Eshbach configuration, where spin waves propagate perpendicular to the direction of static magnetization. Unless stated otherwise, the measurements are performed using a VNA output power of $P = -25$ dBm.

In the following, the primary focus is on the relative strength of spin-wave transmission (i.e., the efficiency and performance of the transducers), which is assessed using the insertion loss [25]

$$IL = -20 \log |S_{ij}| = -\text{mag}(S_{ij}). \quad (1)$$

Here $i, j \in \{1, 2\}$ and $i \neq j$ are the ports of the network and S_{ij} defined as the ratio of outgoing voltage amplitude V_j at port j , and incident voltage amplitude V_i at port i , when no voltage amplitude is incident on port j . This metric directly correlates with the magnitude of signal transmission, where lower insertion loss describes more efficient signal transmission.

B. Sample fabrication and design

For the spin-wave transducer, two opposing coplanar waveguides (CPWs) with an edge-to-edge spacing of $D = 10 \mu\text{m}$ are patterned onto yttrium iron garnet (YIG) films of varying thicknesses (101 nm, 209 nm, 415 nm, 799 nm), grown on a 500- μm -thick (111) gadolinium gallium garnet substrate, purchased commercially from the company Matesy GmbH. in Jena, Germany. To maintain comparability, no dedicated impedance matching for the CPWs was performed, but the same structures were patterned on all YIG films. To facilitate microwave probe contact, the CPWs are connected to curved contact pads. A representative structure is shown in the scanning electron microscope image in Fig. 1(a). In addition, to evaluate the exponential spin-wave decay, the antenna spacing was systematically varied from $10 \mu\text{m}$ to $500 \mu\text{m}$ (see the Supplemental Material [27]). Fabrication involved electron beam lithography using a PMMA based resist mask, followed by deposition of 10 nm Ti and 150 nm Au using electron beam evaporation and a subsequent liftoff procedure.

The wave-vector distribution of the antenna's magnetic field can be interpreted as its excitation efficiency in wave-vector space. In this study, the same antenna design is used for all YIG films, chosen to operate at approximately $11 \mu\text{m}$ wavelength corresponding to a working point of high group velocity for all YIG films investigated. Consequently, large spin-wave decay lengths are expected, minimizing losses associated with spin-wave damping, thereby improving overall transmission efficiency. Calculated dispersion relations of the Damon-Eshbach mode, using the TETRAX solver [28,29], along with the excitation efficiency of the antenna are shown in Fig. 1(b). The gap in dispersion relation for the Damon-Eshbach mode of the 209-nm-thick YIG is caused by an avoided crossing with a higher quantized mode (see Supplemental Material [27]). A more precise modeling of the antennas and spin-wave resistance is carried out using the numerical simulation model from [30]. The obtained data can be found in the Supplemental Material [27].

III. THEORETICAL BACKGROUND

While propagating spin-wave spectroscopy is an established technique, the extensive modeling efforts in this field often focus on spin-wave characteristics rather than device-level behavior. Frequently, the measured spin-wave amplitudes are rather weak, forcing the use of various post-processing methods such as background subtraction of the electromagnetic background signal [22,23] or a timegating approach [24], which are not feasible for self-sufficient rf devices. If the spin-wave signal is significantly larger than the electromagnetic background, these postprocessing procedures are not necessary and the spin-wave signal can be read directly from the acquired signal. The structures in this work are much smaller than the electromagnetic

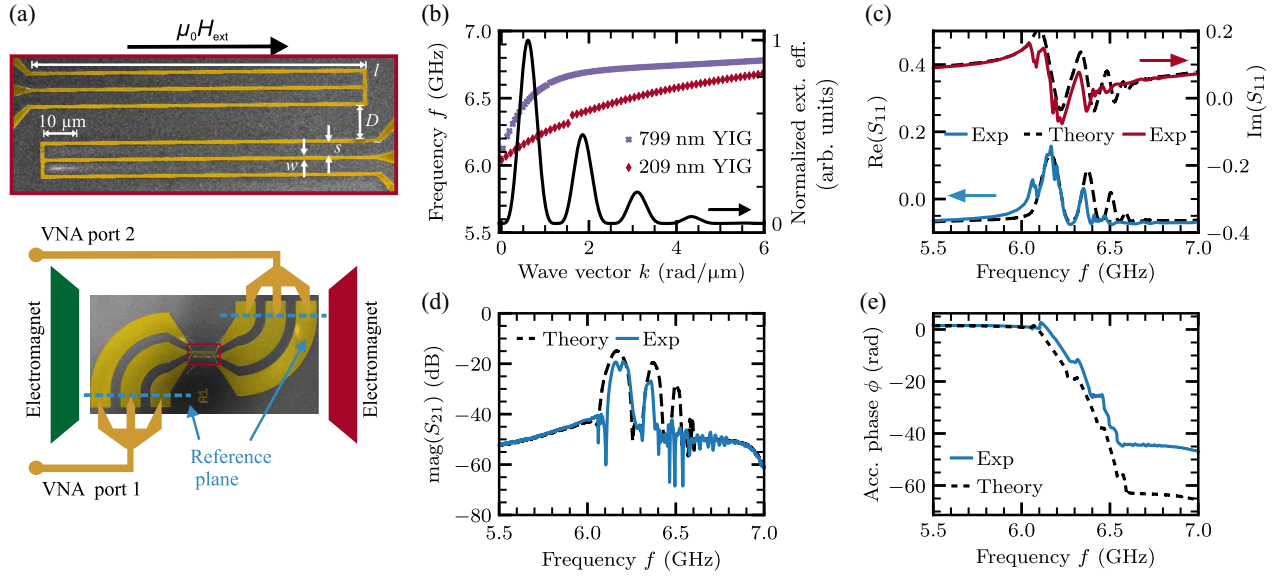


FIG. 1. (a) Schematic representation of the propagating spin-wave spectroscopy setup. The reference plane after short-open load-through calibration is indicated. Coplanar waveguide (CPW) antenna dimensions are indicated in the scanning electron microscope image. They are $l = 100 \mu\text{m}$ long, $D = 10 \mu\text{m}$. The metal lines are $w = 1 \mu\text{m}$ wide and have a spacing of $s = 4 \mu\text{m}$. (b) Dispersion relation of the Damon-Eschbach spin-wave mode for different YIG thicknesses, calculated by TetraX [29]. The wave-vector spectrum of the CPW antenna indicates the parts of the dispersion relation with highest excitation efficiency. (c) Exemplary measured and calculated real and imaginary part of the reflection parameter S_{11} and the magnitude of the transmission parameter S_{21} (d) for $\mu_0 H_{\text{ext}} = 138.7 \text{ mT}$ on the 209-nm YIG film. The electric antenna properties are included according to Sec. III, while the calculations are performed according to Eqs. (4) and (5). The unwrapped measured and calculated phase is shown in (e).

wavelength [30], which allows for a circuit-level analysis using lumped elements. The response of the magnetic system is accounted for by a radiation impedance term [30,31] using the simplified analytic description given in [31]. In the following, the essential elements of this analytic model relevant for understanding the results of this work are reproduced here.

We consider an rf antenna as outlined in Fig. 1(a), which provides an oscillating magnetic field around the antenna driving the magnetization in the neighboring magnetic material. This driven magnetization consequently induces a voltage opposite to the voltage driving the current in the antenna. The induced voltage oscillating at angular frequency ω can be expressed as function of the total magnetic flux Φ :

$$V_{\text{ind}} = \oint_{C_a} \mathbf{E}(\mathbf{r}) d\mathbf{l} = -i\omega \int_{S_a} \mathbf{B}(\mathbf{r}) d^2\mathbf{a} = -i\omega\Phi, \quad (2)$$

with the surface S_a enclosing the current loop, $C_a = \partial S_a$, and $\mathbf{B}$ the magnetic induction. In this approximation, the total flux Φ can be separated in the flux from the current itself, $\Phi_0 = I \cdot L_0$, and the flux caused by the magnetization, $\Phi_m = I \cdot L_m$. Here, L_0 denotes the antenna's self-inductance, while L_m is the additional inductance introduced by the generation of spin waves. This inductance

can be approximately modeled as [31]

$$L_m = \frac{\Phi_m}{I} = \mu_0 \int \int \mathbf{h}_a^T(\mathbf{r}') \chi_m(\mathbf{r}', \mathbf{r}) \mathbf{h}_a(\mathbf{r}) d^3\mathbf{r} d^3\mathbf{r}' \quad (3)$$

using the dynamic magnetic field $\mathbf{h}_a$ and the dynamic susceptibility tensor χ_m , comprising the spin-wave response. Assuming uniform magnetization profiles along the magnetic film thickness t and the antenna length l allows the volume integral to be reduced to a one-dimensional integral that can be converted to reciprocal space more suited for analytical expression of the dynamic magnetic susceptibility:

$$L_m = \mu_0 t l \int \mathbf{h}_a^T(k) \chi(\omega(k)) \mathbf{h}_a^*(k) \frac{dk}{2\pi}. \quad (4)$$

The same procedure can also be extended to calculate the mutual inductance $\mathcal{M}$ between two antennas mediated by the spin-wave response. The derivation is identical, apart from a phase accumulation due to the spatial separation D introduced by a complex phase factor kD in the integral:

$$\mathcal{M} = \mu_0 t l \int e^{ikD} \mathbf{h}_a^T(k) \chi(\omega(k)) \mathbf{h}_a^*(k) \frac{dk}{2\pi}. \quad (5)$$

Using this formalism, derived in [31], the calculation of the spin-wave-induced self and mutual impedances $Z_{\text{sw}} =$

$i\omega L_m$ is possible using a simple analytic expression for the magnetic susceptibility if the dynamic Oersted field is known. Given the antenna's minimal dimensions (up to $1\ \mu\text{m}$ thickness and width, below the skin depth), a uniform current density can be assumed, while the spin-wave feedback on the current distribution is neglected. An analytical expression for the Oersted field of rectangular wires with uniform current distribution is derived from the Biot-Savart law in [32]. By applying the superposition principle, the total antenna field is represented as the combined contributions from individual antenna conductors, each weighted by its corresponding current density. This simplified description effectively captures the field distribution for the system under investigation. The calculated impedances can then be converted to S -parameters using commonly known relations [25].

Most microwave systems are impedance-matched; deviations from this value lead to reflections at the contacts, reducing transmission efficiency. For this study, the reference impedance is chosen as $50\ \Omega$. Thus, effective coupling of energy into and out of the spin-wave system requires a real impedance component of $50\ \Omega$ to minimize reflections and maximize conversion efficiency. At resonance, the real part of the spin-wave impedance is maximized, as is evident from Eq. (4). The prefactor in Eqs. (4) and (5) further indicates that optimizing either the antenna length or the magnetic layer thickness affects the impedance. If the antenna design is known, impedance can be matched by appropriately scaling the length of the antenna and the thickness of the magnetic material using the equations above. However, for the sake of comparability, the same antenna is used for all magnetic material thicknesses in this study.

Including the electrical properties of the antennas introduces a series connection of the antenna impedance and the spin-wave impedance as outlined in [30]. From this analytic model, the following conclusions can be drawn.

(1) Adjusting the antenna length scales the total impedance but does not alter the proportion of power dissipated in the antenna versus the power coupled into the spin-wave system, as both scale linearly in antenna length.

(2) Increasing the magnetic layer thickness increases the spin-wave-induced impedance, while keeping the antenna resistance unchanged. Therefore a larger fraction of power inserted into the antenna is converted to spin waves.

(3) For a given antenna, using a thicker magnetic layer is advantageous, as it reduces the relative impact of ohmic losses in the antenna as long as the dispersion does not level out within the excitation efficiency of the antenna.

Additionally, the efficiency of spin-wave transducers is influenced by losses within the spin-wave system itself. In the Damon-Eshbach configuration, both the decay length

and group velocity of spin waves increase with film thickness, reducing propagation time and therefore damping-related losses. In the analytic model, this is described by the exponential factor in Eq. (5), that reduces the value of the integral via the real part of the exponent. Consequently, to achieve large mutual coupling by the spin waves, the distance should be as short as possible.

IV. RESULTS

A. Spin-wave transmission

In the experiment, the entire S -matrix is acquired, enabling simultaneous analysis of the input antenna's reflection behavior (S_{11}) and spin-wave transmission (S_{21}). Figure 1(c) illustrates the measured and calculated reflection and transmission parameters for a representative field of $138.7\ \text{mT}$ on a 209-nm -thick YIG film. According to Eq. (4), the self-impedance's frequency dependence is determined by the dynamic susceptibility frequency dependence weighted by the antenna field wave-vector distribution, that is shown in Fig. 1(b). The three maxima in the antenna field wave-vector distribution consequently result in the three maxima of the reflection coefficient shown in Fig. 1(c). The gaps in the spectrum therefore originate from the antenna itself rather than from possible hybridization points in the spin-wave dispersion. This influence is explained in the Supplemental Material [27].

Using Eqs. (4) and (5), the expected reflection and transmission spectra are calculated, applying parameters derived from ferromagnetic resonance measurements on a reference film: $M_s = 155.3\ \text{kA m}^{-1}$ and $\alpha = 4.7 \times 10^{-4}$. To account for the electrical characteristics of the antenna, off-resonant measurements of the experimental structure are included in series in the spin-wave impedances. The total impedances are then converted to scattering parameters using standard relations [25].

The modeled and measured reflection and transmission spectra are shown in Figs. 1(c)–1(d). Notably, the antenna excitation efficiency leads to three separated resonances in reflection S_{11} . Likewise, corresponding transmission bands are observed in transmission S_{21} , with higher-order peaks being less pronounced due to decreased excitation efficiency and group velocity. In addition, outside of the spin-wave transmission bands a finite signal level is observed due to electromagnetic (EM) crosstalk between the antennas [33]. Figure 1(e) shows the measured and calculated phases. As for the transmission magnitude, the phase evolution also shows the signature of the three transmission maxima, which are separated by the minima in the antenna excitation spectrum of Fig. 1(b). Within the spin-wave transmission band, a strong phase accumulation due to the short-wavelength spin waves is measured, while outside the band the EM contribution dominates, whose phase does not show a strong frequency dependence. Based on the phase accumulation, a discrimination

of spin-wave transmission and electromagnetism is possible in the transmission spectra. The difference between both accumulations is attributed to the unwrapping procedure and the slightly broader transmission band for the calculation.

Qualitative agreement between the modeled and measured S -parameters is generally good, though the measured data exhibit additional structural features. Consistent with observations in [30], an extra peak at lower frequencies is attributed to the influence of contact pads and tapered lines, which can locally drive spin waves under a different angle to the external field at different resonance frequencies, that do not reach the output transducer. For the transmission, the impact of the curved contact pads is negligible, as they can only excite long-wavelength spin waves propagating at an angle to the external magnetic field. Due to the angle dependence of the spin-wave dispersion, their resonant frequencies do not coincide with the transmission band of the CPW antennas. The oscillations toward higher frequencies are attributed to the interference between spin waves and the EM crosstalk.

In the experiment, the operating frequency band is not fundamentally dictated by the CPW structure but by the spin-wave dispersion relation accessible to the wave-vector spectrum of the CPW. Adjusting the external field magnitude thus allows for tuning of the spin-wave transmission band in frequency. As shown in Fig. 2(a) for 415-nm-thick YIG, the spin-wave transmission spectra remain consistent across the tested field range but become narrower at higher fields. This arises from the decreasing group velocity of the Damon-Eshbach mode, leading to a compression of the dispersion relation into a narrower frequency band and increased propagation loss. Calculated and measured decay lengths and propagation losses are provided in the Supplemental Material [27].

Throughout the tested range, the maximum transmitted spin-wave signal remains more than 20 dB stronger than the electrically transmitted background. A further increase of this ratio could be achieved by further optimization of spin-wave transmission as well as by reduction of the electromagnetism, for example by using rf launch connectors on specifically designed pads instead of rf probes on the curved pads. To track the evolution of spin-wave transmission, Fig. 2(b) presents the maximum transmission magnitude at different external fields for all tested YIG thicknesses. The trend is consistent across samples, showing a clear correlation: thicker YIG films exhibit lower insertion loss, aligning with the conclusions of Sec. III. Notably, relative transmission magnitudes as high as -11.5 dB are observed for the thickest YIG film, demonstrating the potential of micrometer-scale magnonic transmission lines also for submicrometer YIG thicknesses.

Note that a further increase in the YIG thickness does not necessarily increase the spin-wave transmission for a given fixed antenna geometry due to changes in the

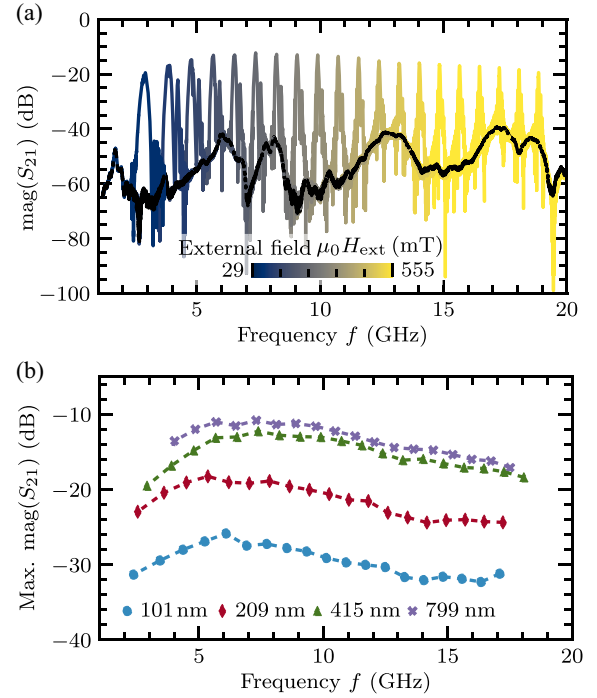


FIG. 2. Magnitude of the transmitted spin-wave signal. (a) Transmission spectra for different external magnetic fields coded in color for the 415-nm-thick YIG film. The magnitude of the directly transmitted electric signal without spin-wave contribution is indicated in black. (b) Extracted magnitudes of maximum spin-wave transmission signal for all YIG thicknesses tested.

dispersion relation impacting on the group velocity [see Fig. 1(b)]. In addition, according to the analytic model of [31], the spin-wave-induced impedance increases linearly with the YIG thickness [see Eq. (4)], which can lead to higher reflections. This illustrates the need for a comprehensive optimization strategy that requires a detailed characterization of the loss channels, which is provided in the following subsection.

B. Loss channels

There are multiple loss channels affecting power flow in the studied structures. In magnonic devices, for example, one of the dominant loss mechanisms is high reflection loss due to impedance mismatch with the standard $50\text{-}\Omega$ microwave periphery. To systematically analyze these losses, the first step is to quantify the total power loss. So far, only transmitted power has been considered, given by

$$\epsilon_{\text{trans}} = |S_{21}|^2 \cdot 100\%. \quad (6)$$

However, the fraction of reflected power can be directly obtained from the experiment via the S_{11} parameter as

$$\epsilon_{\text{refl}} = |S_{11}|^2 \cdot 100\%. \quad (7)$$

The remaining power that is neither transmitted nor reflected but is dissipated within the device is given by the dissipation factor ϵ_{diss} ,

$$\epsilon_{\text{diss}} = (1 - |S_{21}|^2 - |S_{11}|^2) \cdot 100\%. \quad (8)$$

Figures 3(a)–3(c) illustrate the relative fractions of dissipated, reflected, and transmitted power for all tested YIG films and external magnetic fields, evaluated at the frequency of maximum spin-wave transmission. In all cases, the power dissipation consistently exceeds 60%, reaching up to 90% for thinner YIG films. Simultaneously, both the reflected and transmitted power components are significantly higher for thicker YIG layers. This indicates that, despite higher reflection losses in thick YIG layers, the overall transmission is improved by reducing the power dissipation. This behavior can be understood in terms of the inductive nature of the spin-wave-induced impedance, as described by Eq. (4), and the assumption that the electrical resistance of the antenna and the spin-wave impedance are in series [see Fig. 3(d)]. As a result, a greater share of the injected power is converted through the spin-wave resistance rather than dissipated by the antenna ohmic resistance. This desirable redistribution reduces the overall power dissipation, even as larger reflections lead to a decrease in the total power coupled into the device. However, even in these cases, the majority of the power is still lost. In what follows the dominant loss channels are quantified to determine their individual contributions. For this purpose, the overall efficiency of the transducer is modeled as a product chain of the partial power transfer efficiencies of different components or parts of the overall system:

$$\eta = \eta_{\text{refl}} \cdot \eta_{\text{ohm},1} \cdot \eta_{\text{NR}} \cdot \eta_{\text{prop}} \cdot \eta_{\text{ohm},2}. \quad (9)$$

This product can be written as the sum of all partial losses, following the conversion to decibels:

$$\delta_i = -10 \log_{10} \left(\frac{P_i}{P_{\text{available}}} \right) = -10 \log_{10}(\eta_i), \quad (10)$$

with the power transferred at this step P_i and the power available at this step $P_{\text{available}}$.

The first term in Eq. (9) accounts for the impedance mismatch and the resulting reflection losses. The terms $\eta_{\text{ohm},1}$ and $\eta_{\text{ohm},2}$ describe the power losses due to the ohmic resistance of antennas 1 and 2, assuming a load resistance of $R_{\text{load}} = 50 \, \Omega$ at the output of antenna 2. The corresponding equivalent circuit is shown in Fig. 3(d), adapted from [30]. Additionally, losses from spin waves propagating in the undesired direction η_{NR} are considered, with a more detailed discussion provided in Sec. IV C. Finally, the power losses due to spin-wave damping during propagation η_{prop} are also estimated. This analysis is exemplarily conducted for the 799-nm-thick YIG sample at an external

field of 139 mT, specifically at the frequency of maximum transmission at around 6.4 GHz. Based on these conditions, the individual loss contributions for this particular case are determined as follows:

$$\eta_{\text{refl}} = 1 - |S_{11}|^2, \quad \delta_{\text{refl}} \approx 0.25 \, \text{dB}, \quad (11)$$

$$\eta_{\text{ohm},1} = \frac{R_{\text{sw}}}{R_{\text{sw}} + R_{\Omega}}, \quad \delta_{\text{ohm},1} \approx 3.5 \, \text{dB}, \quad (12)$$

$$\eta_{\text{NR}} = \left(\frac{|S_{21}|}{|S_{21}| + |S_{12}|} \right)^2, \quad \delta_{\text{NR}} \approx 0.3 \, \text{dB}, \quad (13)$$

$$\eta_{\text{prop}} = \exp \left(\frac{-2 \cdot d}{l_{\text{sw}}} \right), \quad \delta_{\text{prop}} \approx 0.54 \, \text{dB}, \quad (14)$$

$$\eta_{\text{ohm},2} = \frac{R_{\text{load}}}{R_{\text{load}} + R_{\Omega}}, \quad \delta_{\text{ohm},2} \approx 2.72 \, \text{dB}, \quad (15)$$

with the extracted spin-wave resistance $R_{\text{sw}} = \text{Re}(Z_{11}) = 35.8 \, \Omega$, neglecting the length of the contact pads, the ohmic resistance of the antenna $R_{\Omega} = 43.6 \, \Omega$, and the spin-wave amplitude decay length $l_{\text{sw}} = 336 \, \mu\text{m}$, whose determination is detailed in the Supplemental Material [27].

The total quantified losses remain approximately $\delta_{\text{diff}} = 4.3 \, \text{dB}$ lower than the insertion loss measured directly in the experiment [see Fig. 3(e)]. This difference may be attributed to several factors. Here, $\eta_{\text{ohm},1}$ only includes the part of the energy that was originally coupled into the magnetic system. However, some of this energy can be dissipated locally without contributing to the transmission of spin waves, for example by locally driving off-resonant spin waves due to the finite frequency linewidth of the spin waves and the antenna's wave-vector distribution. Additional sources of loss that are not considered include non-Gilbert damping contributions [34] and effects at the metal/YIG interface. In particular, the interface can lead to locally increased attenuation below the antenna structures, which further increases the losses due to spin-wave dissipation or scattering. To add to this effect, the metalization can also induce anisotropies (e.g., via mechanical strain [35]) as well as locally alter the spin-wave dispersion relation due to the changed electromagnetic boundary conditions at the metalized surface, therefore introducing a further source of loss due to spin-wave scattering at the border of these regions.

Nevertheless, in direct comparison it becomes obvious that in this reference case the main source of losses inside of the transducer is caused by the high ohmic resistance of the small current carrying lines of the antenna, amounting to 6.2 dB in total.

Thus, to further reduce insertion loss, it is beneficial to use antennas with lower resistance. To test this hypothesis, two additional devices were fabricated with antennas of identical design but made from aluminum instead of gold, primarily to reduce material costs. A comparison was conducted between antennas made from 150-nm- and

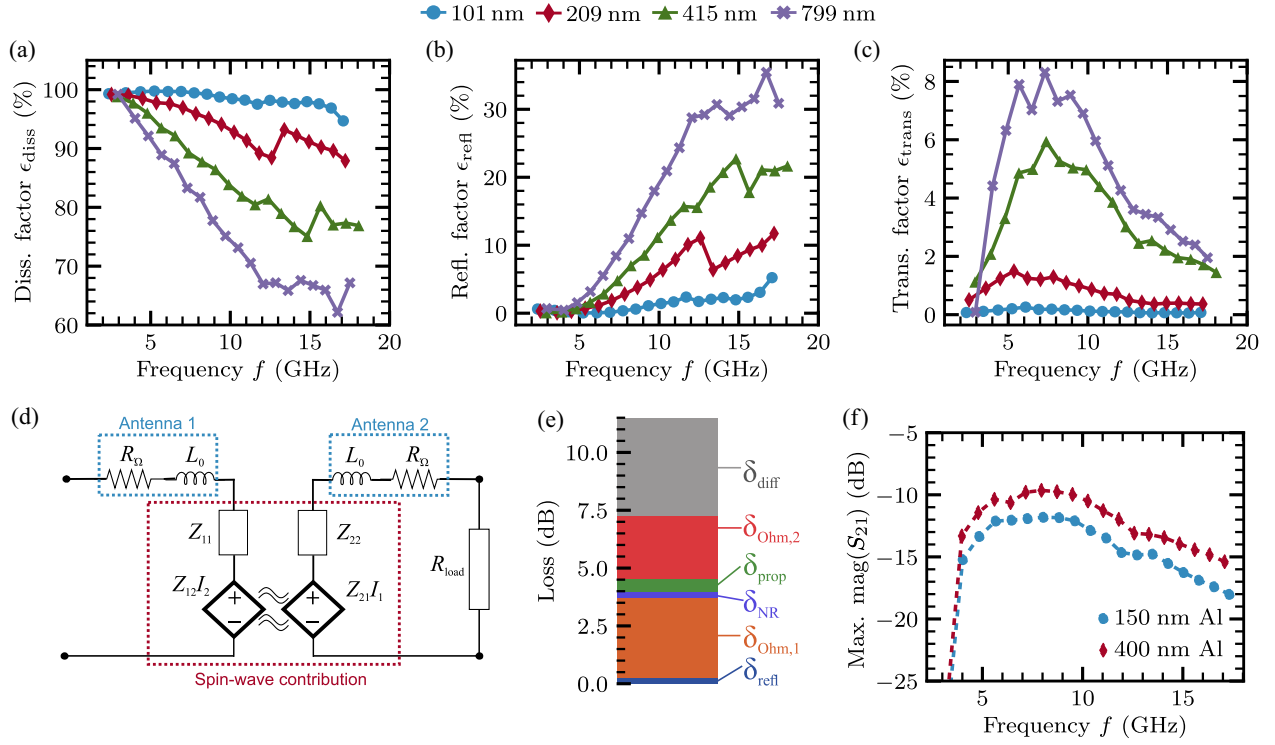


FIG. 3. Fraction of the supplied power, that is (a) dissipated, (b) reflected, or (c) transmitted at the point of maximum transmission for all tested YIG thicknesses and applied external fields. (d) Equivalent circuit for the transducers adapted from [30] used for the quantification of loss channels in (e). The difference from the measured insertion loss is marked in gray. (f) Extracted magnitudes of maximum spin-wave transmission signal for antennas of different thickness on 799-nm YIG.

400-nm-thick aluminum. Applying the same loss quantification approach, changes in antenna resistance influence both reflection and ohmic losses. Employing the same loss quantification predicts an insertion loss reduction of approximately 1.4 dB.

Measured resistance values, obtained from the off-resonant spectrum and an example spin-wave transmission spectrum, are provided in the Supplemental Material [27]. Experimental results confirm an improvement of more than 2 dB, depending on frequency, with insertion losses below 10 dB achieved using the thicker aluminum antennas, shown in Fig. 3(f). While further increasing antenna thickness could reduce ohmic resistance even more, this would also lower spin-wave impedances, as a larger portion of the electric current would be located farther from the antenna. This dependence on antenna thickness is discussed in the Supplemental Material and has also been reported in the literature for out-of-plane magnetized YIG films [36].

Despite this tradeoff, the ratio between spin-wave resistance and ohmic resistance continues to increase within the tested parameter range, suggesting further potential for loss reduction. In a similar fashion, an increase in the antenna metal line width is expected to decrease the ohmic resistance and increase spin-wave conversion efficiency. A computational study on this effect has already

been carried out in [37], demonstrating the feasibility of this approach. Ultimately, the findings demonstrate that the key to achieving efficient spin-wave transducers on the microscale, particularly for submicrometer-thick YIG films, is the use of low-resistance antennas.

C. Nonreciprocity

The experiments were conducted in the Damon-Eshbach configuration, which enhances spin-wave radiation resistance by leveraging both in-plane and out-of-plane components of the antenna's excitation field [38]. This improves energy efficiency by utilizing the full field spectrum [39]. However, it also introduces a phase relationship between the generated spin waves, requiring alignment with the antenna field for constructive interference [40]. As shown schematically in Fig. 4(a), this results in spin-wave excitation in one direction while effectively suppressing it in the opposite direction.

In the experiment, this directional dependence of interference manifests as nonreciprocal signal transmission, a desired trait for many microwave applications. The measured transmission spectra confirm this, with one direction showing much lower insertion loss compared to the other, as anticipated from theoretical predictions and previous studies [41]. An example measurement for opposite

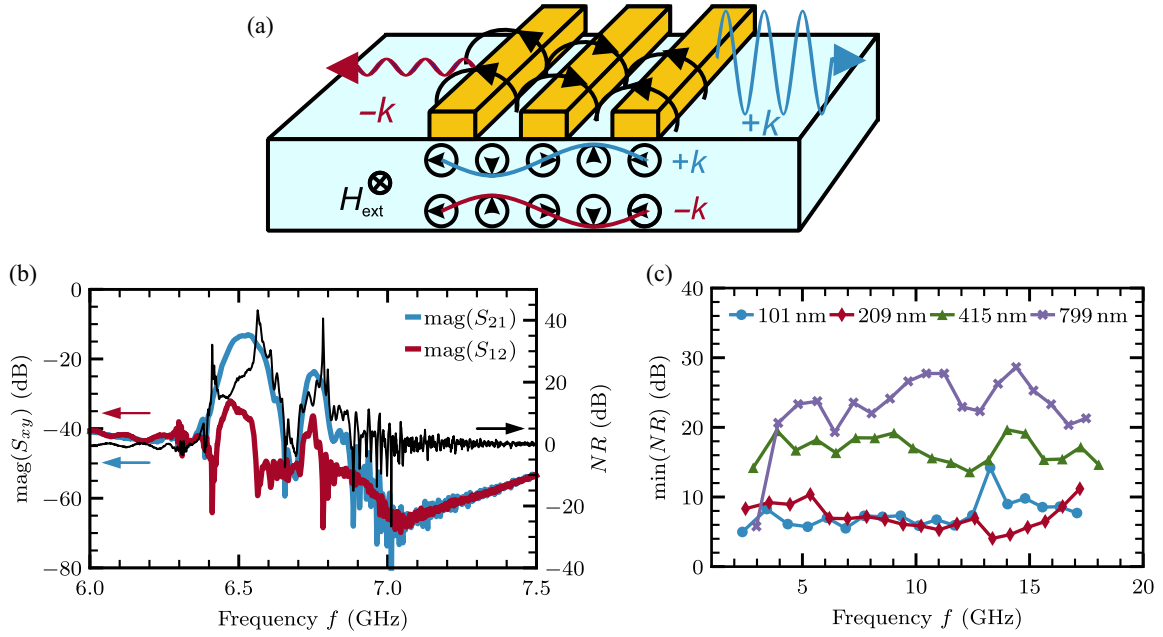


FIG. 4. (a) Nonreciprocity: schematic illustration of spin-wave excitation in opposite propagation directions in the Damon-Eshbach configuration. (b) Measured insertion loss for opposite propagation directions in red and blue for 415-nm YIG at an external field $\mu_0 H_{\text{ext}} = 142$ mT. The ratio is shown in black. (c) Minimum extracted nonreciprocity ratios (NR) across the 3-dB bandwidths for all YIG thicknesses tested.

propagation directions is shown in Fig. 4(b), along with the isolation NR as the ratio of preferred and suppressed direction amplitudes.

The smaller bandwidth of the spin-wave transmission observed in the suppressed direction arises from the lower amplitude, leading to a faster decay below the level of the EM background signal. Toward the edges of both bands, a phase shift of π between the spin wave and the electrical signals can cause significant destructive interference, resulting in sharp dips at the transmission band edges [Fig. 4(b)] [42]. To quantify isolation, we extract the minimum isolation value within the 3-dB bandwidth around the peak transmission for all external magnetic fields and YIG film thicknesses, as this defines the lower bound of achievable isolation in a potential device.

The extracted values, shown in Fig. 4(c), reveal that isolation does not follow a uniform trend across all measured thicknesses as a function of the external field. This variation likely stems from the finite difference in slope between both propagation directions near the maximum of S_{21} in Fig. 4(b). However, a clear correlation with film thickness is observed: isolation increases sharply with thickness, reaching up to 30 dB over the 3-dB bandwidth. This enhanced nonreciprocity is attributed to the improved matching between the spin precession ellipticity and the antenna field ellipticity, maximizing interference modulation. As demonstrated in [41], optimal isolation occurs when the width of the electrical lines equals the YIG layer thickness. Given the 1- μm -wide lines used in this

study, the highest isolation is expected for the thickest YIG film of 799 nm. These findings highlight the potential of microstructured transmission lines for compact, high-performance rf isolators.

D. Power dependence

In the previous subsections, all experiments were conducted with a constant input rf power of $P = -25$ dBm. In the linear regime, no change in transmission amplitude is expected, as the VNA measures only the relative transmitted power compared to the input power. However, when the input power exceeds a threshold, nonlinear excitations introduce additional loss channels in the magnonic system, reducing the relative transmission. The results of power-dependent transmission for the 415-nm-thick YIG sample, shown in Fig. 5(a), indicate that at lower power levels the spectra indeed remain unchanged. However, when the power exceeds a certain threshold, a noticeable reduction in transmission is observed across the entire spectrum. This reduction is due to nonlinear spin-wave processes introducing additional losses. Furthermore, a shift of the transmission maximum to lower frequencies is observed, as the effective magnetization decreases when the precession amplitude increases, lowering the resonance frequency at a fixed wave vector [43].

The power-dependent performance is evaluated for all YIG film thicknesses, as shown in Fig. 5(b), which presents the maximum relative transmission for each

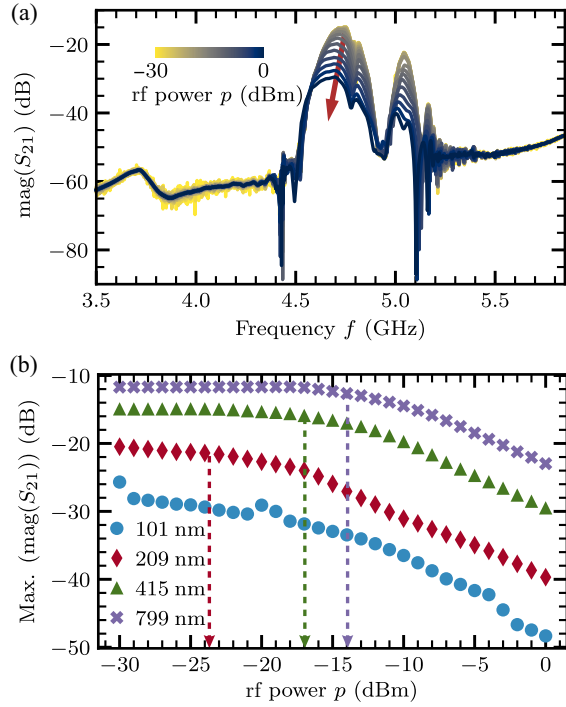


FIG. 5. (a) Measured transmission magnitude for a 415-nm-thick YIG film at an external field $\mu_0 H_{\text{ext}} = 84$ mT for varying input power. Due to the measurement of transmission magnitude relative to the input power, at higher power the transmission appears to decrease. (b) Extracted maximum transmission for different input powers and YIG film thicknesses. The 1-dB compression points are marked for the thicker samples, while the 101-nm sample is nonlinear across the whole tested range.

applied input power. A clear trend emerges: the onset of transmission degradation shifts to higher power levels with increasing YIG thickness, as can be seen from the indicated 1-dB compression points. Notably, the 101-nm film shows a drop already at the lowest tested power. The shift in 1-dB compression point is attributed to the higher group velocity in thicker films as well as the larger magnetic volume itself, which reduces energy density in the YIG at the same input power. The magnitude of this shift aligns well with the expected 3 dB per thickness doubling [19], but for thinner films the shift is larger than expected, likely due to the lower group velocity and higher localized energy accumulation near the antenna.

E. Permanent magnet integration

So far, the external magnetic field is always generated by an electromagnet. This approach is not only energy-inefficient but also unsuitable for future integrated rf devices. To assess the feasibility of small permanent magnets for future on-chip device integration, a $3 \times 3 \times 3$ mm³ NdFeB magnetic cube is centered below the device under test (DUT), providing a bias field in the Damon-Eshbach

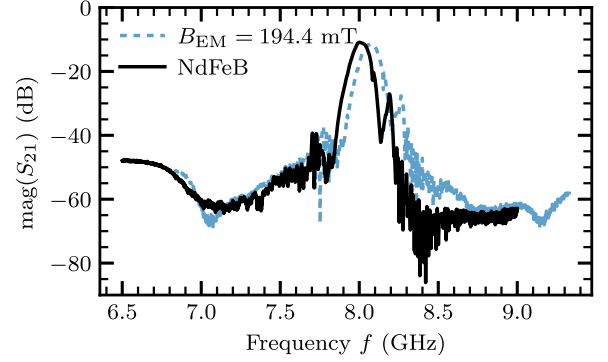


FIG. 6. Measured transmission spectrum using a permanent magnet alongside a reference measurement using an electromagnet for the 799-nm YIG film.

configuration. Following a short-open load-through calibration, the spin-wave transmission spectrum is acquired, as presented in Fig. 6.

A comparison of the spin-wave transmission spectra obtained with the electromagnet and the permanent magnet reveals that both the spectral shape and insertion loss characteristics are nearly identical. This demonstrates that using a small permanent magnet for biasing does not compromise device performance. The microscale dimensions of the DUT facilitate usage of small permanent magnets as external bias field source, as their size remains significantly larger than the device active area, minimizing the impact of field gradients and inhomogeneities. Moreover, the observed spectra correspond to a magnetic field strength of approximately 190 mT, enabling fully passive operation within the 8-GHz frequency band.

This observation demonstrates the feasibility of integrating small magnets directly onto chips in future works, but also enhances the system's overall energy efficiency. By eliminating the need for an external power source to drive an electromagnet, the device operates in a fully passive manner, significantly reducing power consumption and improving the practicality of standalone, fully integrated systems for future applications, similarly to a fully integrated approach recently reported in Ref. [44].

V. CONCLUSION

In this work, we presented a study on microscale spin-wave transducers based on submicrometer YIG films. By identifying ohmic losses as the dominant loss channel rather than intrinsic spin-wave attenuation or reflection losses, we were able to achieve transmission levels of more than -10 dB. This underlines the potential for further improvements through electrical optimization. In addition, the devices intrinsically provide passive isolation properties with isolations up to 30 dB, a favorable trait for many rf applications. Furthermore, the observed power dependence underlines the ease with which nonlinear behavior

can be achieved in magnetic devices. This opens up possibilities for advanced features such as nonlinear limiters or neural networks that utilize efficient microwave-to-spin-wave conversion. Finally, the feasibility of future integration with small permanent magnets demonstrates a practical path toward compact, bias-field-free magnetic components, enabling scalable implementation in rf and communication technologies.

ACKNOWLEDGMENTS

Financial support from the EU Horizon Europe research and innovation program within the projects “Mand-MEMS” (Grant No. 101070536) and “SPIDER” (Grant No. 101070417) is gratefully acknowledged.

DATA AVAILABILITY

The data that support the findings of this article are openly available [45].

- [1] O. L. Balysheva, in *2021 Wave Electronics and its Application in Information and Telecommunication Systems (WECONF)* (IEEE, 2021), pp. 1–5.
- [2] K. Shafique, B. A. Khawaja, F. Sabir, S. Qazi, and M. Mustaqim, Internet of Things (IoT) for next-generation smart systems: A review of current challenges, future trends and prospects for emerging 5G-IoT scenarios, *IEEE Access* **8**, 23022 (2020).
- [3] S. Mahon, The 5G effect on rf filter technologies, *IEEE Trans. Semicond. Manuf.* **30**, 494 (2017).
- [4] S. Dai, S. A. Bhave, and R. Wang, Octave-tunable magnetostatic wave YIG resonators on a chip, *IEEE Trans. Ultrason. Ferroelectr. Freq. Control* **67**, 2454 (2020).
- [5] R. Aigner, G. Fattinger, M. Schaefer, K. Karnati, R. Rothemund, and F. Dumont, in *2018 IEEE International Electron Devices Meeting (IEDM)* (IEEE, 2018), pp. 14.5.1–14.5.4.
- [6] P. Delsing *et al.*, The 2019 surface acoustic waves roadmap, *J. Phys. D: Appl. Phys.* **52**, 353001 (2019).
- [7] M. Hara, T. Yokoyama, T. Sakashita, S. Taniguchi, M. Iwaki, T. Nishihara, M. Ueda, and Y. Satoh, Super-high-frequency band filters configured with air-gap-type thin-film bulk acoustic resonators, *Jpn. J. Appl. Phys.* **49**, 07HD13 (2010).
- [8] A. Prabhakar and D. D. Stancil, *Spin Waves: Theory and Applications* (Springer New York, NY, 2009), Vol. 5.
- [9] X. Han, H. Wu, and T. Zhang, Magnonics: Materials, physics, and devices, *Appl. Phys. Lett.* **125**, 020501 (2024).
- [10] B. Flebus *et al.*, The 2024 magnonics roadmap, *J. Phys.: Condens. Matter* **36**, 363501 (2024).
- [11] D. Breitbach, M. Bechberger, B. Heinz, A. Hamadeh, J. Maskill, K. O. Levchenko, B. Lagel, C. Dubs, Q. Wang, R. Verba, and P. Pirro, Nonlinear erasing of propagating spin-wave pulses in thin-film Ga:YIG, *Appl. Phys. Lett.* **124**, 092405 (2024).
- [12] . Papp, W. Porod, and G. Csaba, Nanoscale neural network using non-linear spin-wave interference, *Nat. Commun.* **12**, 6422 (2021).
- [13] Q. Wang, G. Csaba, R. Verba, A. V. Chumak, and P. Pirro, Nanoscale magnonic networks, *Phys. Rev. Appl.* **21**, 040503 (2024).
- [14] Q. Wang, R. Verba, K. Davidkovia, B. Heinz, S. Tian, Y. Rao, M. Guo, X. Guo, C. Dubs, P. Pirro, and A. V. Chumak, All-magnonic repeater based on bistability, *Nat. Commun.* **15**, 7577 (2024).
- [15] Q. Wang, M. Kewenig, M. Schneider, R. Verba, F. Kohl, B. Heinz, M. Geilen, M. Mohseni, B. Lagel, F. Ciubotaru *et al.*, A magnonic directional coupler for integrated magnonic half-adders, *Nat. Electron.* **3**, 765 (2020).
- [16] K. O. Levchenko, K. Davidkovia, J. Mikkelsen, and A. V. Chumak, Review on spin-wave RF applications, *IEEE Trans. Magn.* **62**, 1 (2026).
- [17] D. Webb, C. Vittoria, P. Lubitz, and H. Lesosoff, Magneto-static propagation in thin films of liquid phase epitaxy YIG, *IEEE. Trans. Magn.* **11**, 1259 (1975).
- [18] J. Wu, X. Yang, S. Beguhn, J. Lou, and N. X. Sun, Nonreciprocal tunable low-loss bandpass filters with ultraband isolation based on magnetostatic surface wave, *IEEE Trans. Microw. Theory Tech.* **60**, 3959 (2012).
- [19] K. Davidkovia, K. Levchenko, F. Bruckner, R. Verba, F. Majcen, Q. Wang, M. Lindner, C. Dubs, V. Vlamincck, J. Klima, M. Urbanek, D. Suess, and A. Chumak, Nanoscale spin-wave frequency-selective limiter for 5G technology, *Phys. Rev. Appl.* **23**, 034026 (2025).
- [20] X. Du, M. H. Idjadi, Y. Ding, T. Zhang, A. J. Geers, S. Yao, J. B. Pyo, F. Aflatouni, M. Allen, and R. H. Olsson III, Frequency tunable magnetostatic wave filters with zero static power magnetic biasing circuitry, *Nat. Commun.* **15**, 3582 (2024).
- [21] M. Bailleul, D. Olligs, and C. Fermon, Propagating spin wave spectroscopy in a permalloy film: A quantitative analysis, *Appl. Phys. Lett.* **83**, 972 (2003).
- [22] M. Vanatka, K. Szulc, O. c. v. Wojewoda, C. Dubs, A. V. Chumak, M. Krawczyk, O. V. Dobrovolskiy, J. W. Klos, and M. Urbanek, Spin-wave dispersion measurement by variable-gap propagating spin-wave spectroscopy, *Phys. Rev. Appl.* **16**, 054033 (2021).
- [23] V. Vlamincck and M. Bailleul, Spin-wave transduction at the submicrometer scale: Experiment and modeling, *Phys. Rev. B* **81**, 014425 (2010).
- [24] T. Devolder, G. Talmelli, S. M. Ngom, F. Ciubotaru, C. Adelmann, and C. Chappert, Measuring the dispersion relations of spin wave bands using time-of-flight spectroscopy, *Phys. Rev. B* **103**, 214431 (2021).
- [25] D. Pozar, *Microwave Engineering* (Wiley, Hoboken, NJ, 2012).
- [26] J. Xu, Z. Liao, Q. Wang, B. Liu, X. Tang, Z. Zhong, L. Zhang, Y. Zhang, H. Zhang, and L. Jin, Enhancement of low-*k* spin-wave transmission efficiency with a record-high group velocity in YIG/nonmagnetic metal heterojunctions, *Adv. Electron. Mater.* **9**, 2201061 (2023).
- [27] See the Supplemental Material at <http://link.aps.org/supplemental/10.1103/j5s3-zvhr> for more information about the spin-wave dispersion relations, its impact on the transmission spectra and numerical calculations of the spin-wave-induced impedances.

- [28] L. Körber, G. Quasebarth, A. Otto, and A. Kákay, Finite-element dynamic-matrix approach for spin-wave dispersions in magnonic waveguides with arbitrary cross section, *AIP Adv.* **11**, 095006 (2021).
- [29] L. Körber, G. Quasebarth, A. Hempel, F. Zahn, A. Otto, E. Westphal, R. Hertel, and A. Kákay, TetraX: Finite-Element Micromagnetic-Modeling Package (2022), <https://doi.org/10.14278/rodare.1418>.
- [30] R. Erdélyi, G. Csaba, L. Maucha, F. Kohl, B. Heinz, J. Greil, M. Becherer, P. Pirro, and Á. Papp, Design rules for low-insertion-loss magnonic transducers, *Sci. Rep.* **15**, 9806 (2025).
- [31] F. Vanderveken, V. Tyberkevych, G. Talmelli, B. Sorée, F. Ciubotaru, and C. Adelmann, Lumped circuit model for inductive antenna spin-wave transducers, *Sci. Rep.* **12**, 3796 (2022).
- [32] C. Dmytro, High Frequency Behaviour of Magnetic Thin Film Elements for Microelectronics, Ph.D. thesis, Technische Universität Dresden, Dresden, 2007.
- [33] A.-C. Bunea, F. Ciubotaru, F. Meng, C. Adelman, O.-G. Profirescu, and D. Neculoiu, in *2024 International Semiconductor Conference (CAS)* (IEEE, 2024), pp. 101–104.
- [34] P. Pirro, T. Sebastian, T. Brächer, A. A. Serga, T. Kubota, H. Naganuma, M. Oogane, Y. Ando, and B. Hillebrands, Non-Gilbert-damping mechanism in a ferromagnetic Heusler compound probed by nonlinear spin dynamics, *Phys. Rev. Lett.* **113**, 227601 (2014).
- [35] H. Wang, C. Du, P. C. Hammel, and F. Yang, Strain-tunable magnetocrystalline anisotropy in epitaxial $\text{Y}_3\text{Fe}_5\text{O}_{12}$ thin films, *Phys. Rev. B* **89**, 134404 (2014).
- [36] M. Robbins, D. Connelly, and J. Chisum, Modeling thick metal in forward volume spin wave transducers, *IEEE Microw. Wirel. Compon. Lett.* **32**, 684 (2022).
- [37] F. Bruckner, K. Davidková, C. Abert, A. Chumak, and D. Suess, Micromagnetic simulation and optimization of spin-wave transducers, *Sci. Rep.* **15**, 19993 (2025).
- [38] T. Schneider, A. A. Serga, T. Neumann, B. Hillebrands, and M. P. Kostylev, Phase reciprocity of spin-wave excitation by a microstrip antenna, *Phys. Rev. B* **77**, 214411 (2008).
- [39] T. Devolder, Propagating-spin-wave spectroscopy using inductive antennas: Conditions for unidirectional energy flow, *Phys. Rev. Appl.* **20**, 054057 (2023).
- [40] M. Kostylev and A. A. Stashkevich, Proposal for a microwave photon to optical photon converter based on traveling magnons in thin magnetic films, *J. Magn. Magn. Mater.* **484**, 329 (2019).
- [41] Y. Li, T.-H. Lo, J. Lim, J. E. Pearson, R. Divan, W. Zhang, U. Welp, W.-K. Kwok, A. Hoffmann, and V. Novosad, Unidirectional microwave transduction with chirality selected short-wavelength magnon excitations, *Appl. Phys. Lett.* **123**, 022406 (2023).
- [42] F. Kohl, B. Heinz, M. Wagner, C. Adelman, F. Ciubotaru, and P. Pirro, Modeling interference of spin-waves and electromagnetic leakage in micron-scaled spin-wave transducers, *Appl. Phys. Lett.* **128**, 162401 (2026).
- [43] P. Krivosik and C. E. Patton, Hamiltonian formulation of nonlinear spin-wave dynamics: Theory and applications, *Phys. Rev. B* **82**, 184428 (2010).
- [44] M. Cocconcelli, F. Maspero, A. Micelli, A. Toniato, A. Del Giacco, N. Pellizzi, A. E. Plaza, A. Cattoni, M. Madami, R. Silvani *et al.*, Standalone integrated magnonic devices, *Adv. Mater.* **37**, 2503493 (2025).
- [45] <https://doi.org/10.5281/zenodo.18630269>.

Correction: The first name of the fifth author contained a spelling error and has been fixed.